

A Framework for Reinforcement Learning and Planning: Extended Abstract

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Main Idea

Reinforcement learning and MDP planning solve the same problem.

Can we identify one underlying algorithmic space, and can we disentangle it?

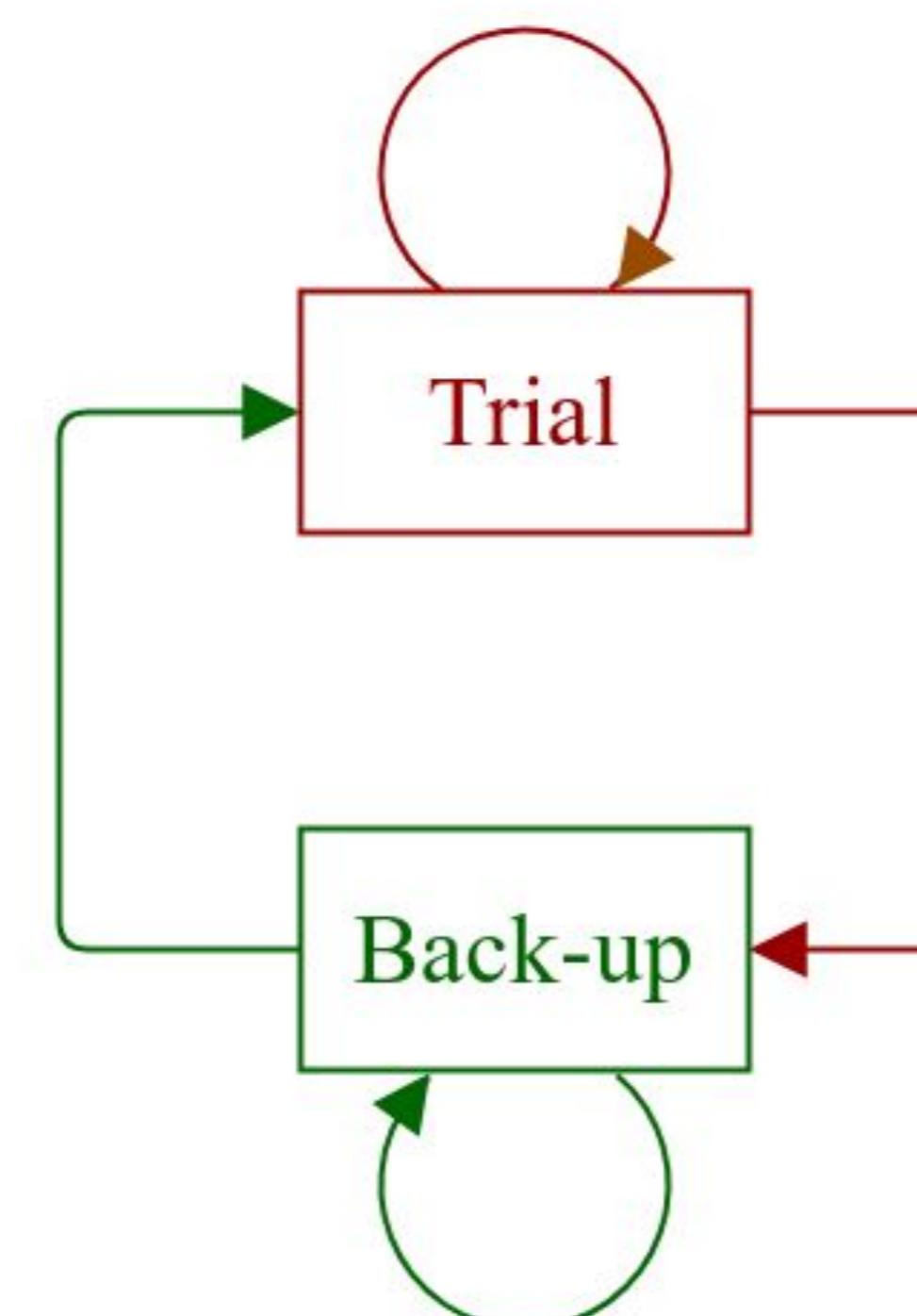
Main inspiration

Trial-based Heuristic Tree Search (THTS) (Keller & Helmert, 2013) -- Similar effort for tree search alone

Central concept:

Trials A single call to the environment/transition model

Back-ups A single operation to back-up the obtained information from the trial



Framework

Six main questions:

- 1) Where do we put our computational effort?
- 2) How do we select the next trial?
- 3) How do we estimate the cumulative return after a trial?
- 4) How do we back-up the new information to previous nodes?
- 5) How do we represent the solution?
- 6) How do we update the solution?

Full paper

Details all decisions, and presents a large table comparing well-known model-free RL, model-based RL, and planning methods.

Potential Benefits

- Bridge both fields (conceptually + terminology)
- Mutual inspiration
- In each separate field (e.g., no framework for RL itself)

Overview of framework

Table 1: Overview of dimensions in the Framework for Reinforcement learning and Planning (FRAP). For any planning or reinforcement learning algorithm, we should be able to identify the decision on each of the dimensions. The subconsiderations and possible options are shown in the right columns. IM = Intrinsic Motivation.

Dimension	Consideration	Choices
1. Comp. effort	- State set	All \leftrightarrow reachable \leftrightarrow relevant
2. Trial selection	- Candidate set	Step-wise \leftrightarrow frontier
	- Exploration	Random \leftrightarrow Value-based \leftrightarrow State-based -For value: mean value, uncertainty, priors -For state: ordered, priors (shaping), novelty, knowledge IM, competence IM
	- Phases	One-phase \leftrightarrow two-phase
	- Reverse trials	Yes \leftrightarrow No
3. Return estim.	- Sample depth	1 \leftrightarrow n \leftrightarrow ∞
	- Bootstrap func.	Learned \leftrightarrow heuristic \leftrightarrow none
4. Back-up	- Back-up policy	On-policy \leftrightarrow off-policy
	- Policy expec.	Expected \leftrightarrow sample
	- Dynamics expec.	Expected \leftrightarrow sample
5. Representation	- Function type	Value \leftrightarrow policy \leftrightarrow both (actor-critic) - For all: generalized \leftrightarrow not generalized
	- Function class	Tabular \leftrightarrow function approximation - For tabular: local \leftrightarrow global
6. Update	- Loss	- For value: e.g., squared -For policy: e.g., (det.) policy gradient \leftrightarrow value gradient \leftrightarrow cross-entropy, etc.
	- Update	Gradient-based \leftrightarrow gradient-free - For gradient-based, special cases: replace & average update

Full paper has a large table comparing well-known planning and RL algorithms on these dimensions

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Paper	Environ- ment	Learned model	Comp. effort	Trial selection					
				Candidate Set	Exploration	Sub-category	Phases	Reverse Trials	Description
Dynamic Programming (Bellman, 1966)	Reversible analytic	All	State set	State	Ordered	1			Sweep
Depth-first exh. search (Russell and Norvig, 2016)	Reversible analytic	Reach.	Step	State	Ordered	1			Sweep
Heuristic search (e.g., A* (Hart et al., 1968))	Reversible analytic	Reach.	Frontier	Value	Prior	1			Greedy on heuristic
MCTS (Browne et al., 2012)	Reversible sample	Reach.	Step	Value	Uncertainty	2			Upper confidence bound
Real-time DP (Barto et al., 1995)	Reversible analytic	Reach.	Step	State	Ordered	1			Random starts
Q-learning (Watkins and Dayan, 1992)	Irreversible sample	Reach.	Step	State	Ordered	1			Random starts
SARSA + eligibility trace (Sutton and Barto, 2018)	Irreversible sample	Reach.	Step	Value	Mean values	1			e.g., Boltzmann
REINFORCE (Williams, 1992)	Irreversible sample	Reach.	Step	Random	-	1			Stochastic policy
DQN (Mnih et al., 2015)	Irreversible sample	Reach.	Step	Value	Random	1			ϵ -greedy
PPO (Schulman et al., 2017b)	Irreversible sample	Reach.	Step	Value	Mean values	1			Stochastic policy with entropy regularization
DDPG (Lillicrap et al., 2015)	Irreversible sample	Reach.	Step	Random	-	1			Noise process (Ornstein-Uhlenbeck)
Go-Explore [†] (Ecoffet et al., 2019)	Irreversible sample	Reach.	Frontier	State+ val+rand	Novelty+ prior+random	1			Frontier prior.: visit freq. + heuristics. On frontier: random perturbation.
AlphaStar (Vinyals et al., 2019)	Irreversible sample	Reach.	Step	State+ Value	Prior+mean values	1			Imitation learning + shaping rewards + entropy regularization
Dyna-Q (Sutton, 1990)	Irreversible sample	✓	Reach.	Step	State+ Value	Knowledge+ mean values	1		Novelty bonus + Boltzmann
Prioritized sweeping (Moore and Atkeson, 1993)	Irreversible sample	✓	Reach.	Step	State	Novelty	1	✓	Visitation frequency + Reverse trials
PILCO (Deisenroth and Rasmussen, 2011)	Irreversible sample	✓	Reach.	Step	Random	-	2		Stochastic policy on initialization
AlphaGo (Silver et al., 2017)	Reversible Sample	Reach.	Step	Value + random	Uncertainty	2			Upper confidence bound + noise
Knowledge, e.g., surprise (Achiam and Sastry, 2017)	Irreversible sample	✓	Reach.	Step	State	Knowledge	1		Intrinsic reward for surprise
Competence 1M, e.g., (Pérez et al., 2018)	Irreversible sample	✓	Reach.	Frontier	State	Competence	1		Sampling in learned goal space

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Paper	Cumulative return		Back-up		Representation		Update		
	Sample depth	Bootstrap type	Back-up policy	Action expectation	Dynamics Expectation	Function type	Function class	Loss	Update type
Dynamic Programming (Bellman, 1966)	1	Learned	Off-policy	Max	Exp.	Value	Global table	(Squared)	Replace
Depth-first exh. search (Russell and Norvig, 2016)	∞	None	Off-policy	Max	Exp	Value	Global table	(Squared)	Replace
Heuristic search (e.g., A* (Hart et al., 1968))	1	Heuristic	Off-policy	Max	Determ.	Value	Global table	(Squared)	Replace
MCTS (Browne et al., 2012)	∞	None	On-policy	Sample	Sample	Value	Local table	(Squared)	Average
Real-time DP (Barto et al., 1995)	1°	Learned	Off-policy	Max	Exp.	Value	Global table	(Squared)	Replace
Q-learning (Watkins and Dayan, 1992)	1	Learned	Off-policy	Max	Sample	Value	Global table	Squared	Gradient
SARSA + eligibility trace (Sutton and Barto, 2018)	$1-n$ (eligibility)	Learned	On-policy	Sample	Sample	Value	Global table	Squared	Gradient
REINFORCE (Williams, 1992)	∞	None	On-policy	Sample	Sample	Policy	Func.approx. (NN)	Policy gradient	Gradient
DQN (Mnih et al., 2015)	1	Learned	Off-policy	Max	Sample	Value	Func.approx. (NN)	Squared	Gradient
PPO (Schulman et al., 2017b)	$1-n$ (eligibility)	Learned	On-policy	Sample	Sample	Policy	Func.approx. (NN)	Policy gradient	Gradient
DDPG (Lillicrap et al., 2015)	1	Learned	Off-policy	Max	Sample	Policy+ value	Func.approx. (NN)	Determ. policy grad. + squared	Gradient
Go-Explore [†] (Ecoffet et al., 2019)	1	Heuristic	On-policy	Sample	Sample	Policy	Global table	(Squared)	Replace
AlphaStar (Vinyals et al., 2019)	$1-n$ (importance weighted)	Learned	On-policy	Sample	Sample	Policy+ value	Func.approx. (NN)	Policy gradient + squared	Gradient
Dyna (Sutton, 1990)	1	Learned	On-policy	Sample	Sample	Value	Global table	Squared	Gradient
Prioritized sweeping (Moore and Atkeson, 1993)	1	Learned	Off-policy	Max	Exp.	Value	Global table	Squared	Gradient
PILCO (Deisenroth and Rasmussen, 2011)	∞	None	On-policy	Sample	Sample	Policy	Func.approx. (GP)	Value gradient	Gradient
AlphaGo (Silver et al., 2017)	MCTS: 1-n Value: ∞	Learned	On-policy	Sample	Sample	Policy+ value	Func.approx. (NN)+ local table	Cross-entropy+ Squared	Average+ Gradient
Knowledge, e.g., surprise (Achiam and Sastry, 2017)	∞	None	On-policy	Sample	Sample	Policy	Func.approx. (NN)	Policy gradient	Gradient
Competence IM, e.g., (Peré et al., 2018)	∞	None	On-policy	Sample	Sample	Generalized policy [§]	Func.approx. (k-NN)	k -NN loss	Gradient-free